

Distributed Timeslot Allocation in mMTC Network by Magnitude-Sensitive Bayesian Attractor Model

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5G Network and Timeslot Allocation Challenges

- 5G
 - Expanding coverage areas and simultaneous communication qualities
 - Three communication types: eMBB, URLLC, and mMTC
- Time slot allocation
 - Time slot allocation essential for satisfying different requirements
 - Random access: autonomous time slot selection by terminals
- Challenges
 - Challenges in mMTC: collision avoidance and limited information
 - Previous Approaches: sparring transmission and reinforcement learning (limitations)

Approach

- Proposed scheme inspired by human decision-making property
 - BAM: decision model applied to network control problems
 - Magnitude sensitivity: tendency to make choices based on the sum of the values of alternatives
- Compatible with consensus building in group decision-making
 - Proposed method uses extended model of value-based BAM for autonomous decentralized timeslot allocation
 - Devices independently determine timeslot and consider the option of waiting for transmission based on magnitude sensitivity

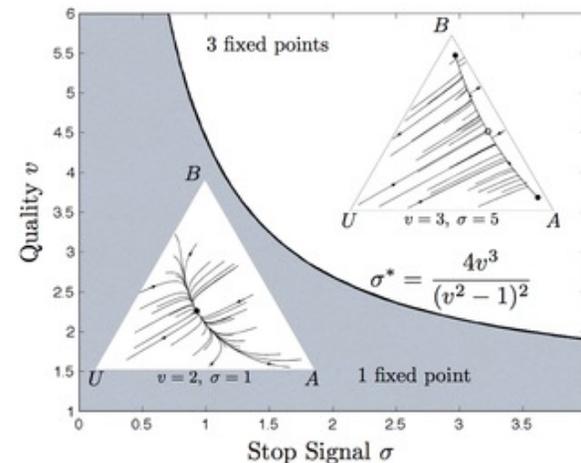
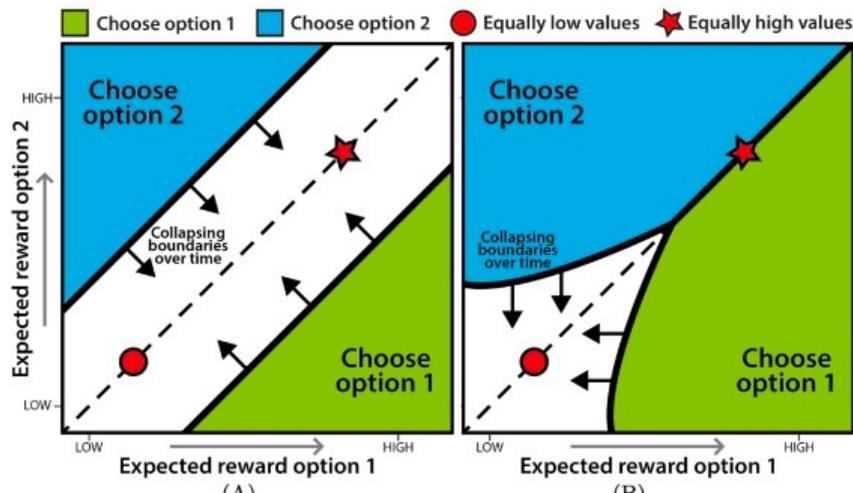
Magnitude Sensitivity

• Overview

- Magnitude sensitivity refers to the tendency to make choices based on the sum of the values of alternatives.
- When alternatives have high magnitude, accuracy is sacrificed to speed up the decision-making process.

• Advantages

- It allows waiting for a better choice in the future when alternatives have low magnitude.
- Magnitude sensitivity plays an important role in consensus building in group decision-making.

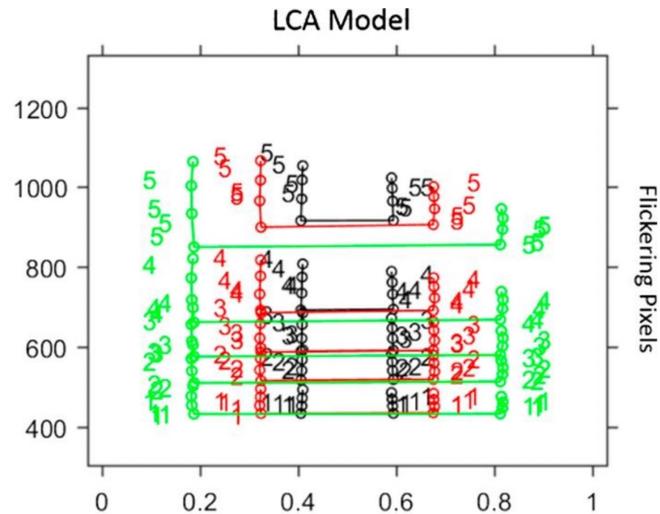


Magnitude Sensitive Models

- Leaky Competing Accumulator (LCA)

- Drift term depends on the value

- $z_{t+1}[i] = (1 - \gamma)z_t[i] - \beta \sum_{j \neq i} z_t[j] + u_t[i]$



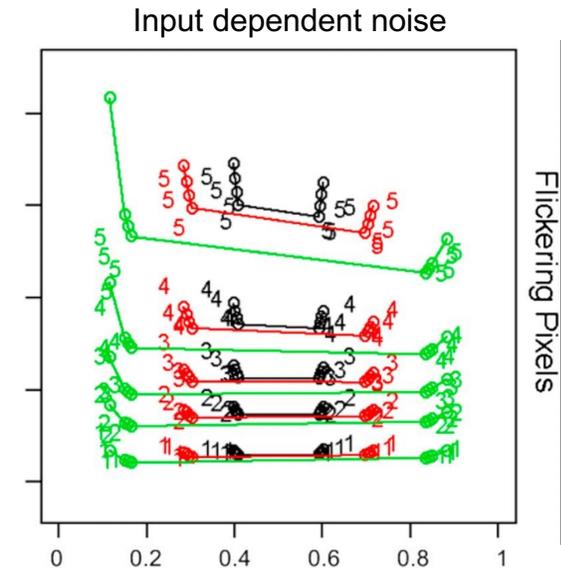
z: state
u: value
ε: noise

- Input Dependent Noise (IDN)

- Noise term depends on the value

- $z_{t+1}[i] = z_t[i] + \frac{u_t[i]}{\lambda + \sum u[i]} + \sqrt{(\sigma^2 + \pi u_t^2[i])} \epsilon_t[i]$

- $\epsilon_t \sim N(0,1)$



[3] Teodorescu, Andrei R., Rani Moran, and Marius Usher. "Absolutely relative or relatively absolute: violations of value invariance in human decision making." *Psychonomic bulletin & review* 23.1 (2016): 22-38.

[4] Ratcliff, Roger, Chelsea Voskuilen, and Andrei Teodorescu. "Modeling 2-alternative forced-choice tasks: Accounting for both magnitude and difference effects." *Cognitive psychology* 103 (2018): 1-22.

Bayesian Attractor Model (BAM)

- Original BAM

- Involves Bayesian updating based on observed values
- Uses attractors and representative values
- Generative model equations:
 - $z_t = f(z_{t-1}) + qw_t$
 - $x_t = (\mu_1, \dots, \mu_K)\sigma(z_t) + sv_t$

z : state
 x : observation
 μ_i : representative value
 v, w : noise
 q, s : dynamic-, sensory uncertainty
 u_{max} : maximum value

- Value-Based BAM

- Observed and representative values changed to values of alternatives
- Value estimation obtained through reward feedback information
- Finds highest-value alternative using recognition scheme
- Representative values:
 - $\mu_i = (0, \dots, u_{max}, \dots, 0)$

BAM with magnitude sensitivity

- Changing sensory uncertainty with value (BAM-LCA)

- State update with observation

- $\hat{z}_t - \hat{z}_{t-1} = \frac{\hat{P}_{zx}}{\hat{P}_{xx} + \frac{s}{u_t} I} (x_t - \hat{x}_t)$



$$z_{t+1}[i] = (1 - \gamma)z_t[i] - \beta \sum_{j \neq i} z_t[j] + u_t[i]$$

LCA

- Changing dynamic uncertainty with value (BAM-IDN)

- Generative model of state

- $z_t = f(z_{t-1}) + q w_t$

- $q \sim \Gamma(k, \theta), E[q] = \sqrt{q^2 + \pi u_t^2}$

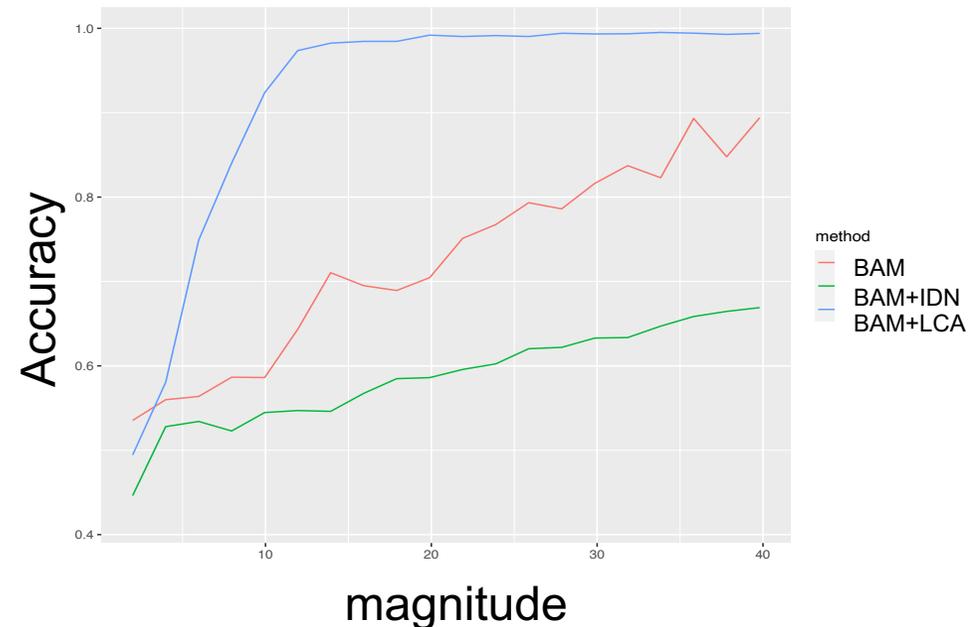
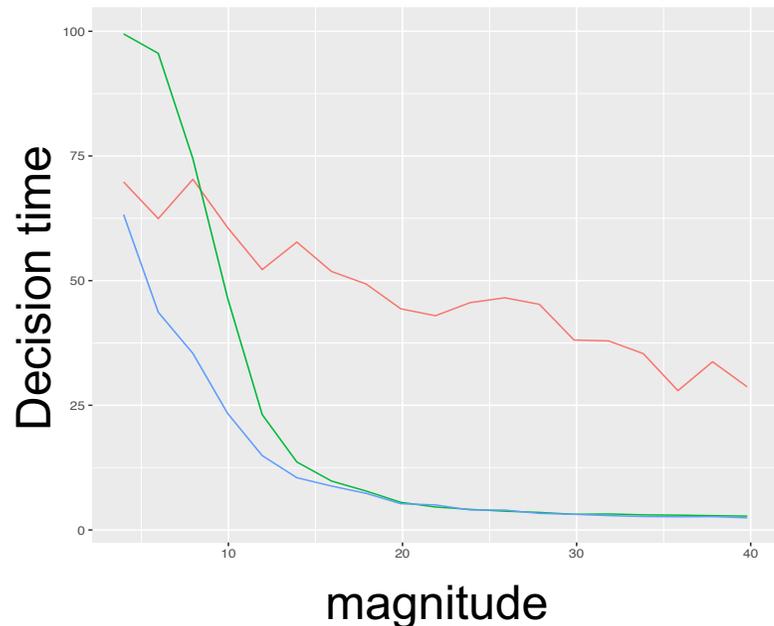


$$z_{t+1}[i] = z_t[i] + \frac{u_t[i]}{\lambda + \sum u[i]} + \sqrt{(\sigma^2 + \pi u_t^2[i])} \epsilon_t[i]$$

IDN

Magnitude Sensitivity of Proposed Model

- All models show magnitude sensitivity:
 - Decision-making speed increases with the magnitude
- Accuracy also improves with increasing magnitude:
 - Earlier decisions result in more correct answers
- BAM-LCA has better decision time and accuracy compared to other models



System Model of Timeslot Allocation

- Resources
 - A subframe has K timeslots.
- Devices
 - Assumes a continuous packet generation model, more compatible with mMTC use cases (e.g., sensor networks).
 - N devices send data to the base station
- Base station
 - Successful transmission: only one device sends a packet per timeslot; collision occurs if multiple devices transmit simultaneously.
 - Broadcast feedback: the congestion level

[4] Sun, Yao, et al. "Service provisioning framework for RAN slicing: user admissibility, slice association and bandwidth allocation." IEEE Transactions on Mobile Computing 20.12 (2020): 3409-3422.

[5] Silva, Giovanni Maciel Ferreira, and Taufik Abrão. "Throughput and latency in the distributed Q-learning random access mMTC networks." Computer Networks 206 (2022): 108787.

Value-based BAM for Timeslot Allocation

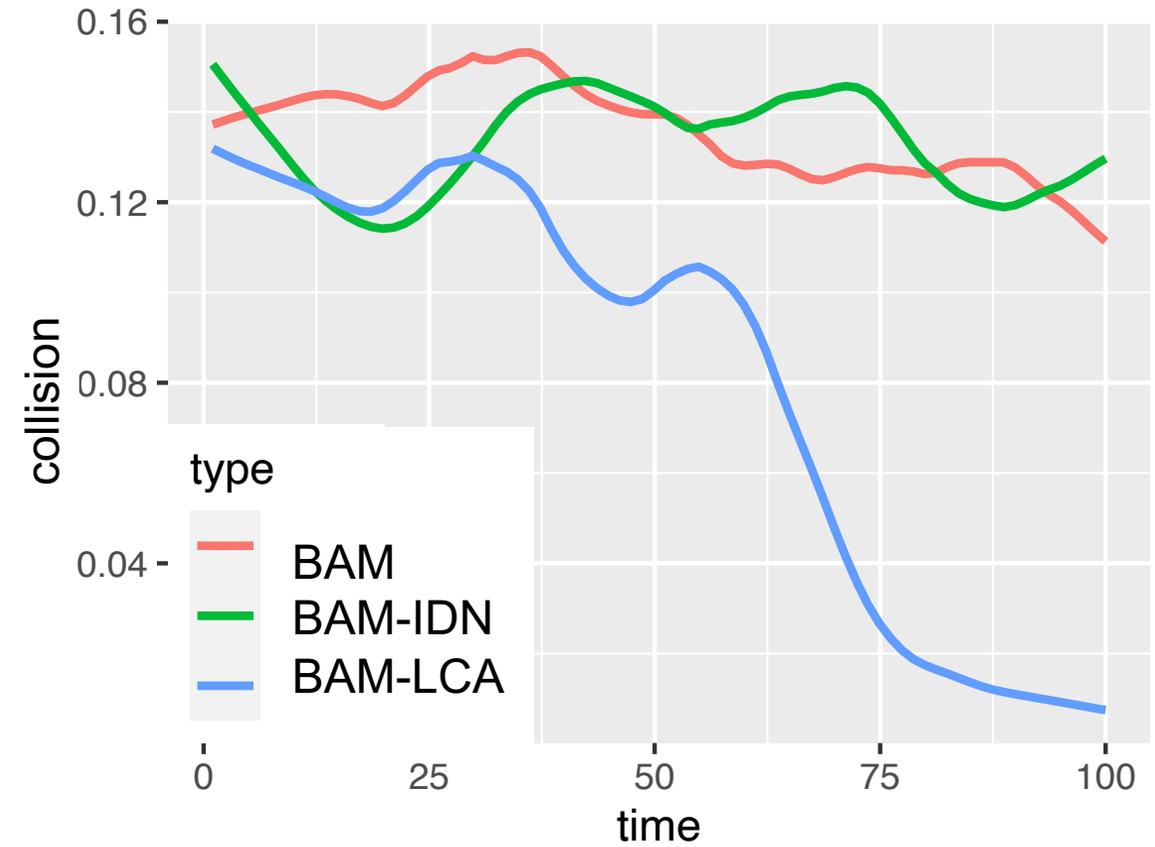
- Attractors
 - K attractors (ϕ_1, \dots, ϕ_K) represent K timeslots in subframe
- Feedback information:
 - +1 for successful transmission
 - Negative value for collision, discretized by b bits of congestion
 - Time-smoothed value used for stable understanding of congestion
 - $\alpha = 0.3$ (smoothing parameter)
- Decision-making:
 1. Maximum confidence selection if BAM's confidence levels ratio for top two choices exceeds threshold
 2. Select timeslot k if attractor ϕ_k is selected, transmit packet
 3. Wait for next subframe if no decision made in current subframe

Simulation Setting

- N devices occupy K timeslots simultaneously
 - $N = 10$
 - $K = 2^\mu$
 - $\mu=4$: numerology
- Base station provides feedback in b bits for congestion level
 - $b = 2$
- Performance metrics: collision
 - The ratio of the number of timeslots in which collisions occur out of K timeslots

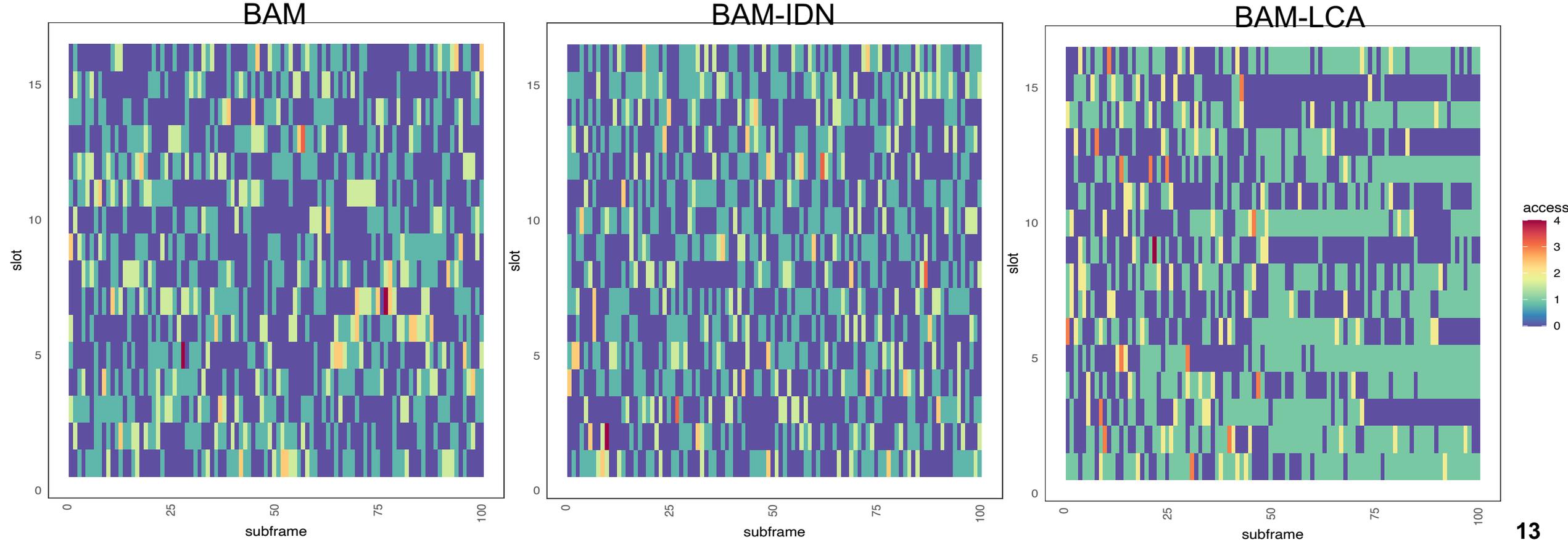
Result

- BAM-LCA achieves collision avoidance
 - The greater the value, the stronger the decisive movement, and the more likely it is that the same terminals will segregate using the same timeslot.
- BAM is slowly declining, but not to the point of segregation of time slots.
- BAM-IDNs cannot segregate time slots due to the noise



Timeslot access

- Heatmap of the number of access for each subframe x timeslot pair
- BAM+LCA tends to select similar time slots



Summary

- Summary

- Magnitude-sensitive decision models applied for autonomous decentralized timeslot allocation in mMTC networks.
- Proposed magnitude-sensitive BAM, BAM-LCA, and BAM-IDN as extensions of BAM.
- Proposed method allows each device to autonomously select a suitable timeslot based on feedback reflecting timeslot congestion.
- Simulation-based evaluation showed that BAM-LCA effectively avoids timeslot collisions compared to other methods.

- Future Work

- Conduct comprehensive performance evaluations in various settings to assess the effectiveness of the proposed models.
- Investigate strategies to dynamically adjust decision-making based on the number of devices present in the network.

Thank you for your attention

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